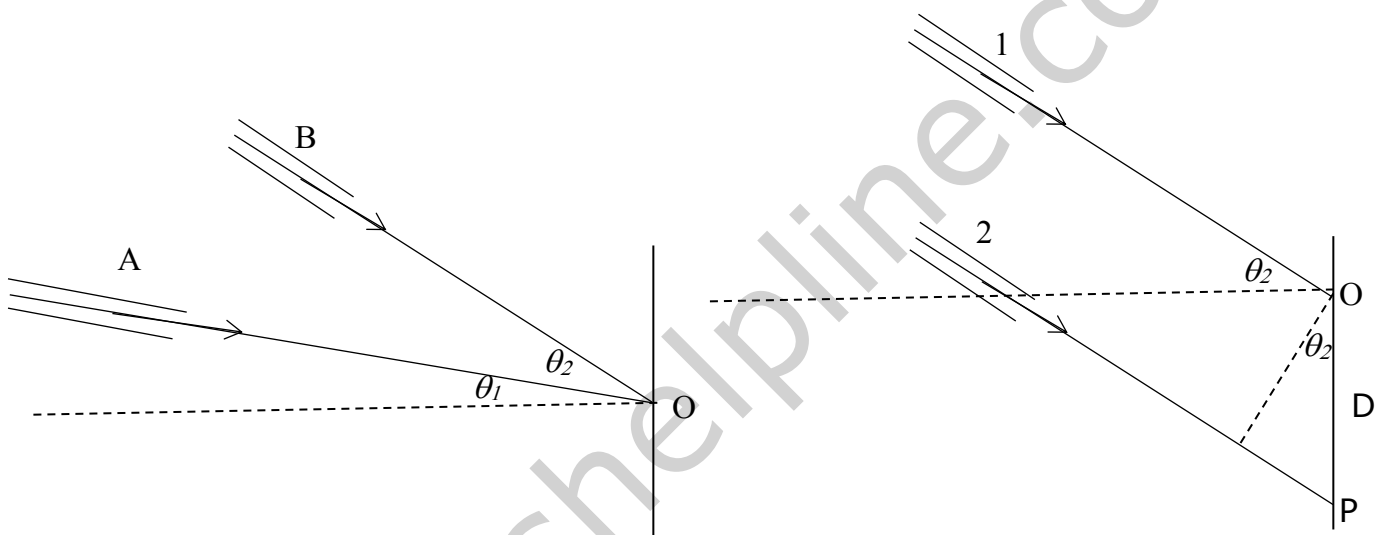


Q- Two identical thin, parallel and coherent beams of same intensity and wavelength λ are incident on a screen lies in the same plane at angles θ_1 and θ_2 . with the normal. Find the fringe width on the screen.

The two beams A and B are incident on the screen and say the two rays of the at point O are in same phase at point O. If the rays are in same phase at O, the intensity of light is maximum at this point and is called a maxima.

Now consider two rays 1 and 2 of beam B are incident at point O and P on the screen at distance D.



The path difference between the two rays 1 and 2 can be calculated by drawing a perpendicular OM from O on beam 2. The length MP is the path difference and is given by considering triangle OPM as

$$\delta_2 = OP \sin \theta_2 = D \sin \theta_2$$

Similarly, the path difference between two rays of beam A incident at O and P will be

$$\delta_1 = OP \sin \theta_1 = D \sin \theta_1$$

As the two beams are coherent, the net path difference between the two rays will be

$$\delta_2 - \delta_1 = D (\sin \theta_2 - \sin \theta_1)$$

Now there is a maxima at O the phase difference is zero of path difference can be considered zero. For the next maxima the phase difference should be 2π and the path difference must be λ .

Thus next maxima will be at P if the path difference is

$$\delta_2 - \delta_1 = D (\sin \theta_2 - \sin \theta_1) = \lambda$$

Or
$$D = \frac{\lambda}{\sin \theta_2 - \sin \theta_1}$$

As the distance between two consecutive maxima (or minima) is called fringe width, the fringe width is given by

$$\beta = \frac{\lambda}{\sin \theta_2 - \sin \theta_1}$$